| Subject | Year |  | Month | Balcarras <br> From strength to strength |
| :---: | :---: | :---: | :---: | :---: |
| Mathematics | 9 |  | Jan/Fe |  |
| 1 Iopic: |  |  |  |  |
| SOLVING INEQUALITIES |  |  | 7 LESSONS |  |
| Content (Intent) |  |  |  |  |
| Prior Learning <br> Y7 <br> - Understand the meaning of the four inequality symbols <br> - Solve linear equations with unknown on one side <br> Y8 <br> Solve linear equations including those with unknowns on both sides |  | Future Learning <br> - Solving double ended inequalities <br> - Solving quadratic inequalities <br> - Inequality regions |  |  |
| Objectives <br> - 1 lesson RECAP on all the algebra so far (including expanding and factorising) <br> - List integers that are solutions to an inequality <br> - Know how to show a range of values that solve an inequality on a number line <br> - Solve a linear inequality in one variable with unknowns on one side <br> - Solve a linear inequality in one variable with unknowns on both sides <br> - Solve a linear inequality in one variable involving brackets <br> - Solve a linear inequality in one variable involving negative terms HIGHER SETS Solve worded problems by constructing and solving linear inequalities in one variable |  | For teaching purposes <br> Possible Questions <br> - Show me an inequality with the solution $x \geq 5$. And another. And another ... <br> - Convince me that there are only 5 common integer solutions to the inequalities $4 \mathrm{x}<28$ and $2 \mathrm{x}+3 \geq 7$. <br> - What is wrong with this statement? $1-5 x \geq 8 x-15$ so $1 \geq 3 x-15$. <br> Possible Misconceptions <br> may think that... <br> - it is possible to multiply or divide both sides of an inequality by a negative number with no impact (e.g. if $-2 x>12$ then $x>-6$ ) <br> - a negative $x$ term can be eliminated by subtracting that term (e.g. if $2-$ $3 x \geq 5 x+7$, then $2 \geq 2 x+7$ ) <br> - apply incorrect approach to expanding brackets <br> e.g. if $2(3 x-3)<4 x+5$, then $6 x-3<4 x+5$ |  |  |
| Pedagogical notes (implementation) |  | How will understanding be assessed \& recorded (Impact) |  |  |
| The mathematical process of solving a linear inequality is identical to that of solving linear equations. ! exception is knowing how to deal with situations when multiplication or division by a negative number is a possibility. <br> Students could be taught to manipulate algebraically. <br> E.g. $-2 x>8$, do not divide by -2 but add $2 x$ to both sides. |  | End of term Assessment in February Exams in May |  |  |
|  |  | How can parents help at home? |  |  |
| NCETM: Departmental workshops: Inequalities <br> The number line to represent solutions to inequalities. An open circle represents a boundary that is not included. A filled circle represents a boundary that is included. <br> Set notation; e.g. $\{-2,-1,0,1,2,3,4\}$ |  | MathsWatch clips (Qualification KS3) A20a, A20b |  |  |
| Further reading/discussion |  |  |  |  |
| Reading / Enrichment <br> KM: Stick on the Maths: Inequalities <br> KM: Convinced?: Inequalities in one variable <br> NRICH: Inequalities | Literacy <br> Linear) inequality <br> Unknown <br> Manipulate <br> Solve <br> Solution set <br> Integer <br> $<$ (less than) > (greater than) $\leq$ (less than or equal to) $\geq$ (more than or equal to) |  | Numeracy Links | Careers Links <br> Engineer <br> Business Owner <br> Accountant |

