| Subject | Year | Month | Balcarras |
| :---: | :---: | :---: | :---: |
| Mathematics | 9 | December |  |
| Topic: |  |  |  |
| FIBONACCI AND QUADRATIC SEQUENCES 4 Lesso |  |  |  |
| Content (Intent) |  |  |  |
| Prior Learning <br> Y7 <br> - Continue any given sequence <br> - Finding the nth term of a linear sequence <br> Y8 <br> - Generate a linear sequence from its nth term <br> - Find the nth term for linear sequence <br> - Square positive and negative numbers |  | Future Learning <br> - Finding the nth term of a quadratic sequence <br> - Compound Interest and Depreciation <br> - using Geometric Sequences |  |
| Objectives <br> - Recognise and use the Fibonacci sequence <br> - Generate Fibonacci type sequences and find the next two terms <br> - Generate terms of a quadratic sequence from a written rule (and continue a given quadratic sequence) <br> - Generate terms of a quadratic sequence from its nth term |  | For teaching purposes <br> Possible Questions <br> - A sequence has the first two terms $1,2, \ldots$ Show me a way to continue this sequence. And another. And another ... <br> - A sequence has $n$th term $3 n^{2}+2 n-4$. Jenny writes down the first three terms as $1,12,29$. Kenny writes down the first three terms as $1,36,83$. Who do agree with? Why? What mistake has been made? <br> - What is the same and what is different: $1,1,2,3,5,8$, ... and $4,7,11,18$, 29, ... <br> Misconceptions <br> - may think that it is possible to find an nth term for any sequence. A Fibonacci type sequence would require a recurrence relation instead. <br> - may think that the word 'quadratic' involves fours. <br> - may substitute into $\mathrm{ax}^{2}$ incorrectly, working out (ax) ${ }^{2}$ instead. |  |
| Pedagogical notes (implementation) |  | How will understanding be assessed $\&$ recorded (Impact) |  |
| NCETM: Departmental workshops: Sequences NCETM: Glossary <br> The Fibonacci sequence consists of the Fibonacci numbers ( $1,1,2,3,5, \ldots$ ), while a Fibonacci type sequence is any sequence formed by adding the two previous terms to get the next term. |  | End of term Assessment in December Exams in May <br> 9BAM6 Sequences |  |
|  |  | How can parents help at home? |  |
| 'ribonacci solver'. |  | MathsWatch clips (Qualification KS3) A22, A23b |  |
| Further reading/discussion |  |  |  |
| Reading / Enrichment <br> KM: Forming Fibonacci equations <br> KM: Mathematician of the Month: Fibonacci <br> KM: Leonardo de Pisa <br> KM: Fibonacci solver. Students can be <br> challenged to create one of these. <br> KM: Sequence plotting. A grid for plotting nth term against term. <br> KM: Maths to Infinity: Sequences NRICH: Fibs | Literacy <br> Term <br> Term-to-term rule <br> Position-to-term rule <br> nth term <br> Generate <br> Linear <br> Quadratic <br> First (second) difference <br> Fibonacci number <br> Fibonacci sequence | Numeracy Links | Careers Links Artist Biologist |

